

# Package ‘MEGB’

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**Type** Package

**Title** Gradient Boosting for Longitudinal Data

**Version** 0.1

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**Description** Gradient boosting is a powerful statistical learning method known for its ability to model complex relationships between predictors and outcomes while performing inherent variable selection.

However, traditional gradient boosting methods lack flexibility in handling longitudinal data where

within-subject correlations play a critical role. In this package, we propose a novel approach Mixed Effect Gradient Boosting ('MEGB'), designed specifically for high-dimensional longitudinal data.

'MEGB' incorporates a flexible semi-parametric model that embeds random effects within the gradient boosting framework, allowing it to account for within-

individual covariance over time. Additionally, the method

efficiently handles scenarios where the number of predictors greatly exceeds the number of observations

( $p \gg n$ ) making it particularly suitable for genomics data and other large-scale biomedical studies.

**License** GPL-2

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MEGB *Mixed Effect Gradient Boosting (MEGB) Algorithm*

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### Description

MEGB is an adaptation of the gradient boosting regression method to longitudinal data similar to the Mixed Effect Random Forest (MERF) developed by Hajjem et. al. (2014) <doi:10.1080/00949655.2012.741599> which was implemented by Capitaine et. al. (2020) <doi:10.1177/0962280220946080>. The algorithm estimates the parameters of a semi-parametric mixed-effects model:

$$Y_i(t) = f(X_i(t)) + Z_i(t)\beta_i + \epsilon_i$$

with  $Y_i(t)$  the output at time  $t$  for the  $i$ th individual;  $X_i(t)$  the input predictors (fixed effects) at time  $t$  for the  $i$ th individual;  $Z_i(t)$  are the random effects at time  $t$  for the  $i$ th individual;  $\epsilon_i$  is the residual error.

### Usage

```
MEGB(
  X,
  Y,
  id,
  Z,
  iter = 100,
  ntree = 500,
  time,
  shrinkage = 0.05,
  interaction.depth = 1,
  n.minobsinnode = 5,
  cv.folds = 0,
  delta = 0.001,
  verbose = TRUE
)
```

### Arguments

X [matrix]: A  $N \times p$  matrix containing the  $p$  predictors of the fixed effects, column codes for a predictor.

Y [vector]: A vector containing the output trajectories.

id [vector]: Is the vector of the identifiers for the different trajectories.

<code>Z</code>	[matrix]: A $N \times q$ matrix containing the $q$ predictor of the random effects.
<code>iter</code>	[numeric]: Maximal number of iterations of the algorithm. The default is set to <code>iter=100</code>
<code>ntree</code>	[numeric]: Number of trees to grow. This should not be set to too small a number, to ensure that every input row gets predicted at least a few times. The default value is <code>ntree=500</code> .
<code>time</code>	[vector]: Is the vector of the measurement times associated with the trajectories in $Y, Z$ and $X$ .
<code>shrinkage</code>	[numeric]: a shrinkage parameter applied to each tree in the expansion. Also known as the learning rate or step-size reduction. The default value is set to 0.05.
<code>interaction.depth</code>	[numeric]: The maximum depth of variable interactions: 1 builds an additive model, 2 builds a model with up to two-way interactions, etc. The default value is set to 1.
<code>n.minobsinnode</code>	[numeric]: minimum number of observations (not total weights) in the terminal nodes of the trees. The default value is set to 5.
<code>cv.folds</code>	[numeric]: Number of cross-validation folds to perform. If <code>cv.folds&gt;1</code> then <code>gbm</code> , in addition to the usual fit, will perform a cross-validation and calculate an estimate of generalization error returned in <code>cv_error</code> . The default value is set to 0.
<code>delta</code>	[numeric]: The algorithm stops when the difference in log likelihood between two iterations is smaller than <code>delta</code> . The default value is set to 0.001
<code>verbose</code>	[boolean]: If TRUE, MEGB will print out number of iterations to achieve convergence. Default is TRUE.

## Value

A fitted MEGB model which is a list of the following elements:

- `forest`: GBMFit obtained at the last iteration.
- `random_effects` : Predictions of random effects for different trajectories.
- `id_btilde`: Identifiers of individuals associated with the predictions `random_effects`.
- `var_random_effects`: Estimation of the variance covariance matrix of random effects.
- `sigma`: Estimation of the residual variance parameter.
- `time`: The vector of the measurement times associated with the trajectories in  $Y, Z$  and  $X$ .
- `LL`: Log-likelihood of the different iterations.
- `id`: Vector of the identifiers for the different trajectories.
- `O0B`: OOB error of the fitted random forest at each iteration.

**Examples**

```

set.seed(1)
data <- simLong(n = 20, p = 6, rel_p = 6, time_points = 10, rho_W = 0.6, rho_Z = 0.6,
              random_sd_intercept = sqrt(0.5),
              random_sd_slope = sqrt(3),
              noise_sd = 0.5, linear = TRUE) # Generate the data composed by n=20 individuals.
# Train a MEGB model on the generated data. Should take ~ 7 seconds
megb <- MEGB(X=as.matrix(data[, -1:-5]), Y=as.matrix(data$Y),
            Z=as.matrix(data[, 4:5]), id=data$id, time=data$time, ntree=500, cv.folds=0, verbose=TRUE)
megb$forest # is the fitted gradient boosting (GBMFit) (obtained at the last iteration).
megb$random_effects # are the predicted random effects for each individual.
plot(megb$LL, type="o", col=2) # evolution of the log-likelihood.
megb$OOB # OOB error at each iteration.

```

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predict.MEGB

*Predict with longitudinal trees and random forests.*

---

**Description**

Predict with longitudinal trees and random forests.

**Usage**

```

## S3 method for class 'MEGB'
predict(object, X, Z, id, time, ntree, ...)

```

**Arguments**

object	: a longituRF output of (S)MERF; (S)REEMforest; (S)MERT or (S)REEMtree function.
X	[matrix]: matrix of the fixed effects for the new observations to be predicted.
Z	[matrix]: matrix of the random effects for the new observations to be predicted.
id	[vector]: vector of the identifiers of the new observations to be predicted.
time	[vector]: vector of the time measurements of the new observations to be predicted.
ntree	[numeric]: Number of trees to be used in prediction not less than number of trees used in the model object MEGB. The default value is ntree=500.
...	: low levels arguments.

**Value**

vector of the predicted output for the new observations.

**Examples**

```

oldpar <- par(no.readonly = TRUE)
oldopt <- options()
set.seed(1)
data <- simLong(n = 20, p = 6, rel_p = 6, time_points = 10, rho_W = 0.6, rho_Z = 0.6,
               random_sd_intercept = sqrt(0.5),
               random_sd_slope = sqrt(3),
               noise_sd = 0.5, linear = TRUE) # Generate the data composed by n=20 individuals.
# Train a MEGB model on the generated data. Should take ~ 7 seconds
megb <- MEGB(X = as.matrix(data[, -1:-5]), Y = as.matrix(data$Y),
             Z = as.matrix(data[, 4:5]), id = data$id, time = data$time, ntree = 500, verbose = TRUE)
# Then we predict on the learning sample :
pred.MEGB <- predict(megb, X = as.matrix(data[, -1:-5]), Z = as.matrix(data[, 4:5]),
                    id = data$id, time = data$time, ntree = 500)
# Let's have a look at the predictions
# the predictions are in red while the real output trajectories are in blue:
par(mfrow = c(4, 5), mar = c(2, 2, 2, 2))
for (i in unique(data$id)){
  w <- which(data$id == i)
  plot(data$time[w], data$Y[w], type = "l", col = "blue")
  lines(data$time[w], pred.MEGB[w], col = "red")
}
par(oldpar)
options(oldopt)

```

simLong

---

*Simulate Low/High Dimensional and Linear/Nonlinear Longitudinal dataset.*

---

**Description**

Simulate  $p$ -dimensional linear/Nonlinear mixed-effects model given by:

$$Y_i(t) = f(X_i(t)) + Z_i(t)\beta_i + \epsilon_i$$

with  $Y_i(t)$  the output at time  $t$  for the  $i$ th individual;  $X_i(t)$  the input predictors (fixed effects) at time  $t$  for the  $i$ th individual;  $Z_i(t)$  are the random effects at time  $t$  for the  $i$ th individual;  $\epsilon_i$  is the residual error with variance  $\sigma^2$ . If linear,  $f(X_i(t)) = X_i(t)\theta$ , where  $\theta = 1, \forall p$ , otherwise if nonlinear, the approach by Capitaine et al. (2021) is adapted.

**Usage**

```

simLong(
  n,
  p,
  rel_p = 6,
  time_points,
  rho_W = 0.5,

```

```

rho_Z = 0.5,
random_sd_intercept = 2,
random_sd_slope = 1,
noise_sd = 1,
linear = TRUE
)

```

### Arguments

n	[numeric]: Number of individuals.
p	[numeric]: Number of predictors.
rel_p	[numeric]: Number of relevant predictors (true predictors that are correlated to the outcome.). The default value is rel_p=6 if linear and rel_p=2 if nonlinear.
time_points	[numeric]: Number of realizations per individual. The default value is time_points=10.
rho_W	[numeric]: Within subject correlation. The default value is rho_W=0.5.
rho_Z	[numeric]: Correlation between intercept and slope for the random effect coefficients. The default value is rho_Z=0.5.
random_sd_intercept	[numeric]: Standard deviation for the random intercept. The default value is random_sd_intercept= $\sqrt{0.5}$ .
random_sd_slope	[numeric]: Standard deviation for the random slope. The default value is random_sd_slope= $\sqrt{3}$ .
noise_sd	[numeric]: Standard deviation for the random slope. The default value is noise_sd=0.5.
linear	[boolean]: If TRUE, a linear mixed effect model is simulated, if otherwise, a semi-parametric model similar to the one used in Capitaine et al. (2021).

### Value

a dataframe of dimension (n\*time\_points) by (p+5) containing the following elements:

- id: vector of the individual IDs.
- time: vector of the time realizations.
- Y: vector of the outcomes variable.
- RandomIntercept: vector of the Random Intercept.
- RandomSlope: vector of the Random Slope.
- Vars : Remainder columns corresponding to the fixed effect variables.

### Examples

```

set.seed(1)
data = simLong(n = 17,p = 6,rel_p = 6,time_points = 10,rho_W = 0.6, rho_Z=0.6,
              random_sd_intercept = sqrt(0.5),
              random_sd_slope = sqrt(3),
              noise_sd = 0.5,linear=FALSE) # Generate the data
head(data) # first six rows of the data.
# Let's see the output :

```

```
w <- which(data$id==1)
plot(data$time[w],data$Y[w],type="l",ylim=c(min(data$Y),max(data$Y)), col="grey")
for (i in unique(data$id)){
  w <- which(data$id==i)
  lines(data$time[w],data$Y[w], col='grey')
}
# Let's see the fixed effects predictors:
oldpar <- par(no.readonly = TRUE)
oldopt <- options()
par(mfrow=c(2,3), mar=c(2,3,3,2))
for (i in 1:ncol(data[, -1:-5])){
  w <- which(data$id==1)
  plot(data$time[w],data[, -1:-5][w,i], col="grey",ylim=c(min(data[, -1:-5][,i]),
max(data[, -1:-5][,i])),xlim=c(1,max(data$time)),main=latex2exp::TeX(paste0("$X^{(, , i, )}$")))
  for (k in unique(data$id)){
    w <- which(data$id==k)
    lines(data$time[w],data[, -1:-5][w,i], col="grey")
  }
}
par(oldpar)
options(oldopt)
```

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